

Applications of Cold Rydberg atoms

From cold Rydberg atoms to ultra-cold plasmas

Daniel.Comparat@lac.u-psud.fr

ICQIO'2010

Kyiv

1 June 2010



Experiments in « Cold atoms, Rydberg and molecules group »

- Cesium Magneto-Optical Trap (D. Comparat, H. Lignier)
 - Cold cesium molecules (formation, vibrational cooling, trapping, ..)
 - Cold Rydberg atoms (dipole blockade,)
 - Cold plasma (ionic and electronic temperature, dynamics,
- Stark & Zeeman decelerators (N. Vanhaecke)
 - Zeeman decelerator for atoms and molecules
 - Stark decelerator for Rydberg atoms and molecules
- Production of ion and electron sources from cold atoms
(A. Fioretti, D. Comparat)
- Project: Ytterbium MOT: (D. Comparat, P Cheinet)
YbCs molecules + two-electrons Rydberg

*Thibault Vogt
Matthieu Viteau
Amodsen Chotia*

*Leila Kime
Joshua Gurian
Andréa Fioretti*

*Patrick Cheinet
Daniel Comparat
Nicolas Vanhaecke
Pierre Pillet*

Collaboration on Rydbergs with:

Anti hydrogen experiments: (AEGIS)

Thomas F. Gallagher, University of Virginia

Ducan Tate, Colby College

Jia Suotang, Shanxi University, China

Philippe Grangier, Antoine Browaeys et al., Institut d'Optique

Talk

Yevhen Miroshnychenko

18:00 Mo31D(A)b3

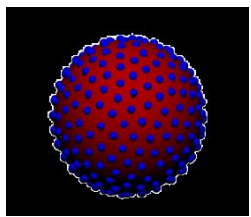
Outline

- Historical motivations (why cold Rydberg atoms ?)
- Quantum control with Dipole blockade: exp +model
- Ultra-cold plasmas: model, realization, application
- Prospects and conclusion

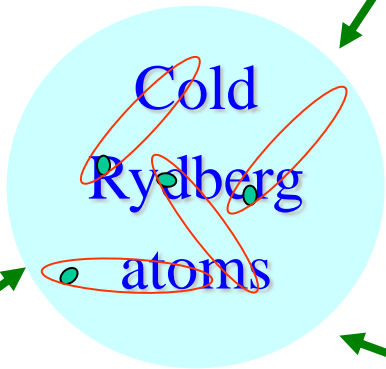
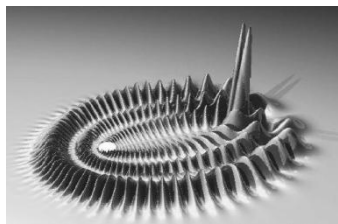
Cold Rydberg atoms at the crossing of atomic, molecular, solid state and plasma physics ...

size $\sim 2 n^2 a_0 \sim 1 \mu\text{m}$ ($n=100$)
 dipole $\mu \sim n^2 e a_0 \sim 10000 \text{ D}$
 Lifetime $\propto n^3 \sim 1 \text{ ms}$
 $E_{\text{ion}} \propto n^{-4} \sim 10 \text{ V/cm}$

Transition
Rydberg \leftrightarrow plasma



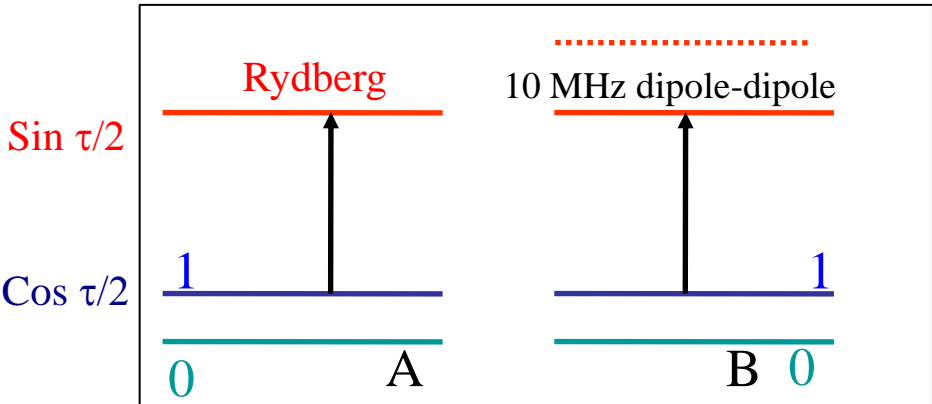
Rydberg
photoassociation



Dipole-dipole interactions:

- Dipolar gas
- migration of the excitation,
- spin glass
- cold collisions: Penning ionization
- **dipole blockade**
- ...

Dipole-dipole $\propto \mu\mu'/R^3$



Cold Rydberg gaz (*exp + th*): Review QOIT (Today) JOSA B

1998 *Dipole-Dipole interaction in a cold sample (Broadening + diffusion ?)*

Pillet (PRL 80 253), Gallagher (PRL 80 249)

1999 *Dipolar Forces → Dynamics → Non Frozen Gaz !*

Pillet (PRL 82 1839)

2000 *Rydberg → plasma 1999 Ultra cold Plasma: photo-ionisation (NIST) (PRL 83, 4776)*

Pillet + Gallagher (PRL 85 4466)

Molecules

2000-2001 *Quantum gate using dipole-dipole shifting « dipole blockade »*

(Côté, Greene)

Lukin, Fleischhauer, Côté, Jaksch, Cirac, Zoller (PRL 87 037901)

2004 *Van der Waals (2nd order): blockade (saturation of excitation) + spectroscopy (broadening)*

Eyler Gould (PRL 93 063001) + Weidemüller (PRL 93 163001) Martin (PRL 93 23300)

2006 *Dipole blockade (1^{er} order) (saturation of excitation) + th (Rost, Pohl, Robicheaux ...)*

Pillet : permanent dipole (PRL 99 073002) + transition dipole (Förster) (PRL 97 083003)

2007 *Coherent collective excitation + spin-echo*

Superradiance (Gould), EIT (Adams),

Pfau (PRL 99 163601)

STIRAP (Raithel, Weidemüller), ...

2008 *Rabi oscillation Weidemüller (NJP 10 045026) + (1 at) Saffman, Walker (PRL 100 113003)*

3D trapping of Rydberg atoms Merkt (PRL 100 043001)

2009 *Dipole blockade (2 at) Saffman, Walker + Browaeys, Grangier (Nat. Phys 5, 110-115)*

Molecules (2,3 atoms) Pfau (arXiv:0809.2961)

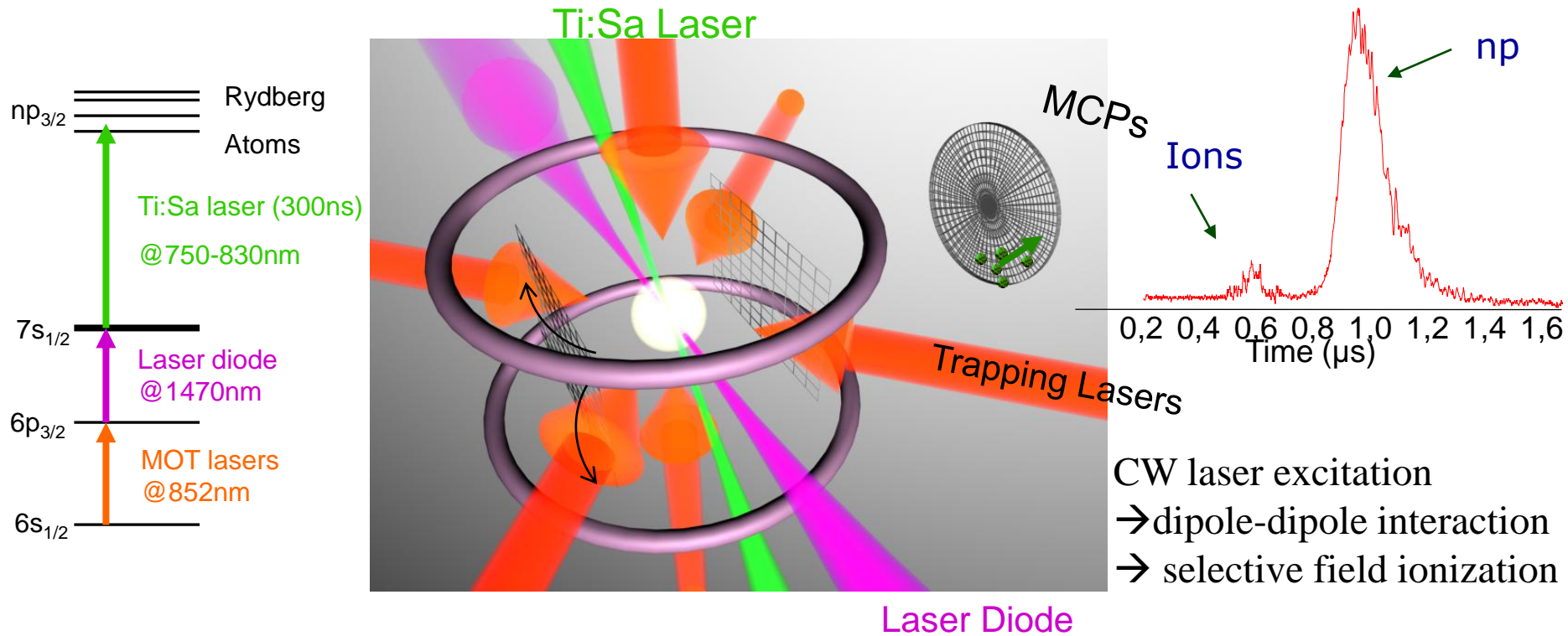
2010 *Intrication Browaeys, Grangier, quantum gate Saffman, Walker (PRL 104 010502-010503)*

Quantum simulator, repeater, ... Zoller, Büchler,

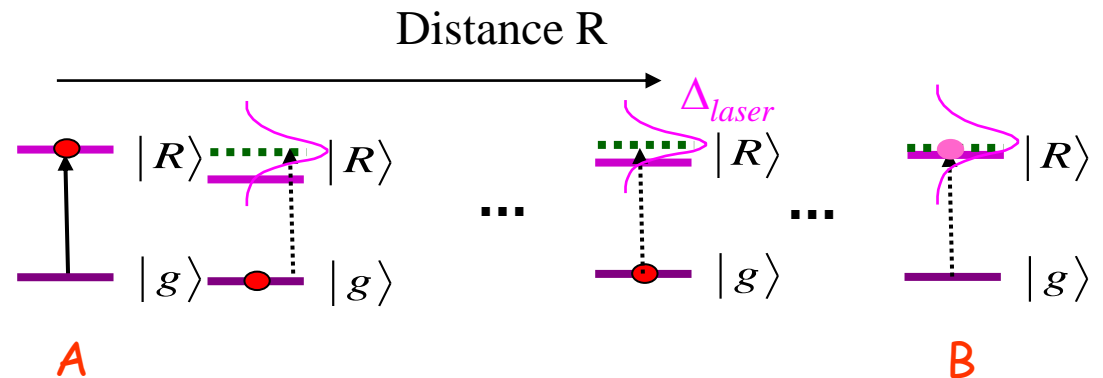
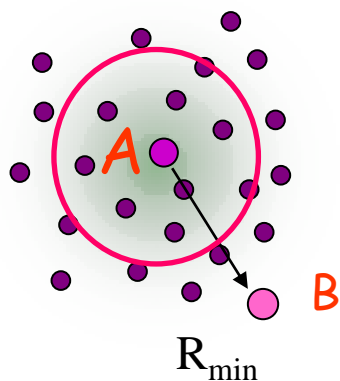
Outline

- Historical motivations (why cold Rydberg atoms ?)
 - *Use and control of long range dipole-dipole interactions*
- Quantum control with Dipole blockade: exp +model
- Ultra-cold plasmas: model, realization, application
- Prospects and conclusion

Dipole blockade in a cold atomic sample (Cs MOT)



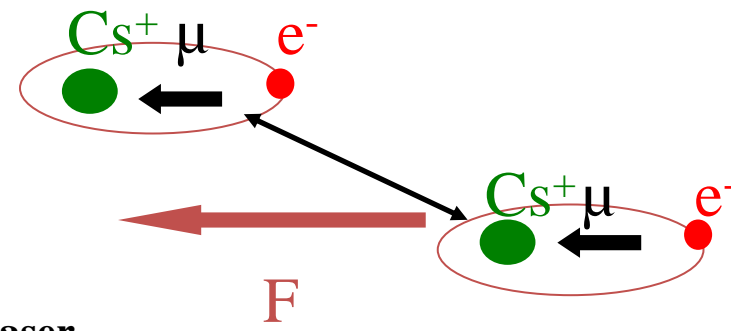
Blockade sphere radius: $\hbar\Delta_{\text{laser}} \sim V_{\text{dip-dip}} \propto \mu^2 / R_{\text{min}}^3$



Electric field: control (blockade) of Rydberg excitation

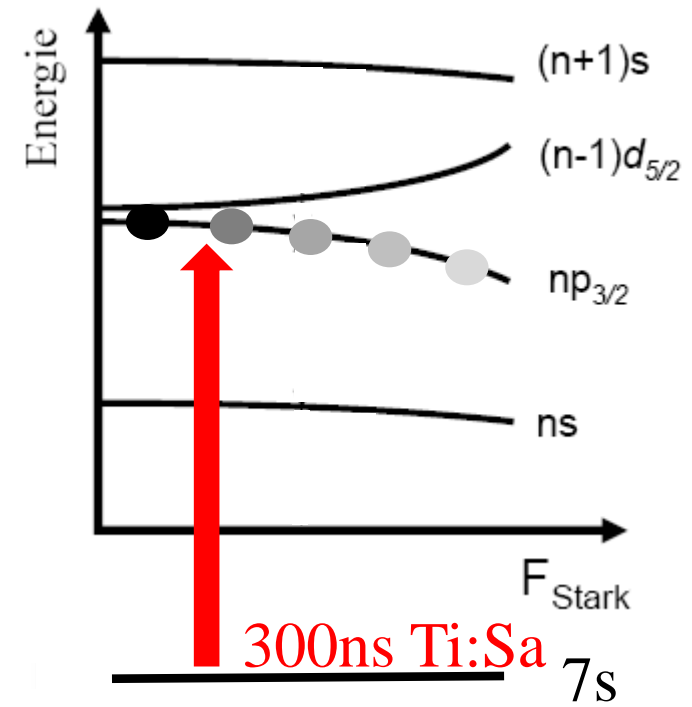
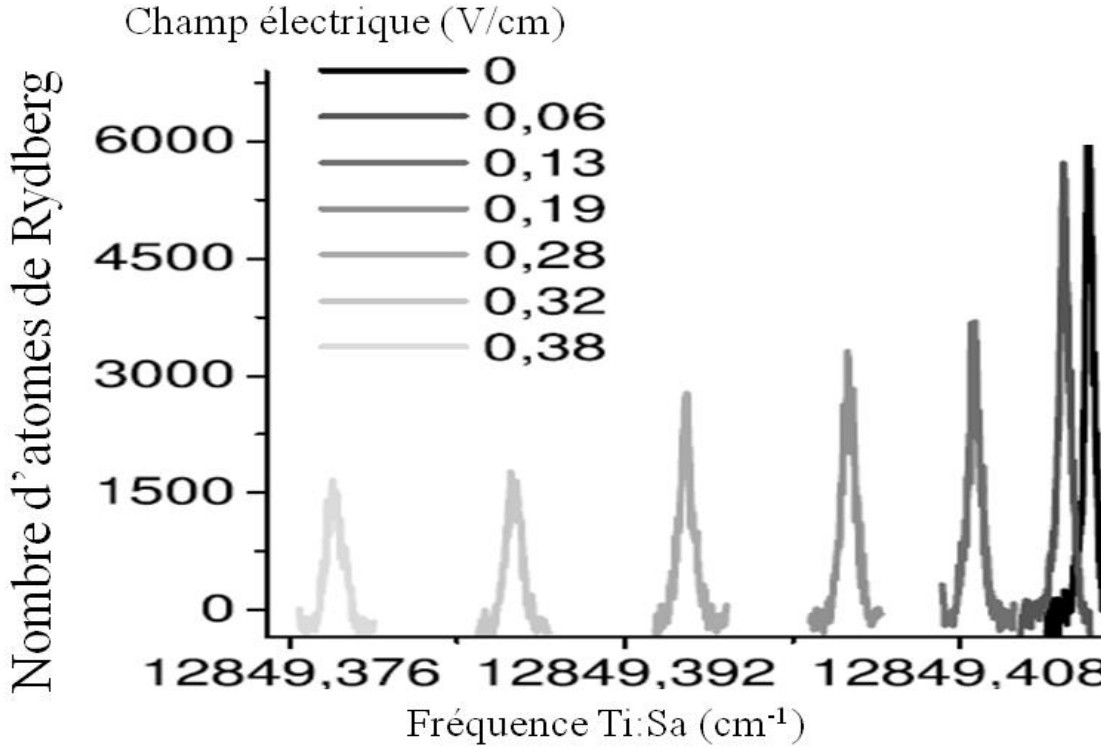
Permanent dipole

Vogt *et al.* PRL 99 073002 (2007)



$$V_{dd} \propto \mu^2 / R^3 \sim \hbar \Delta_{\text{laser}}$$

$$n_{\text{Ryd}} \propto \Delta_{\text{laser}} / \mu^2$$



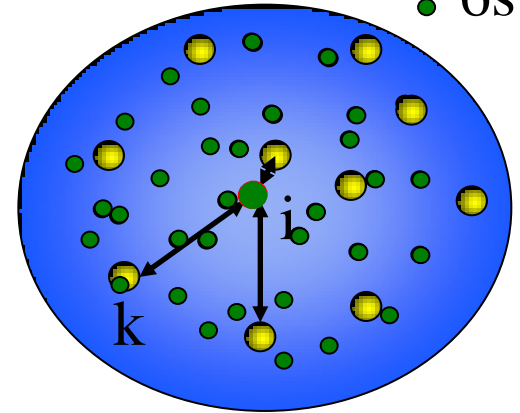
Model of dipole blockade

A. Chotia *et al.* NJP 10, 045031 (2008)

● 80p
● 6s

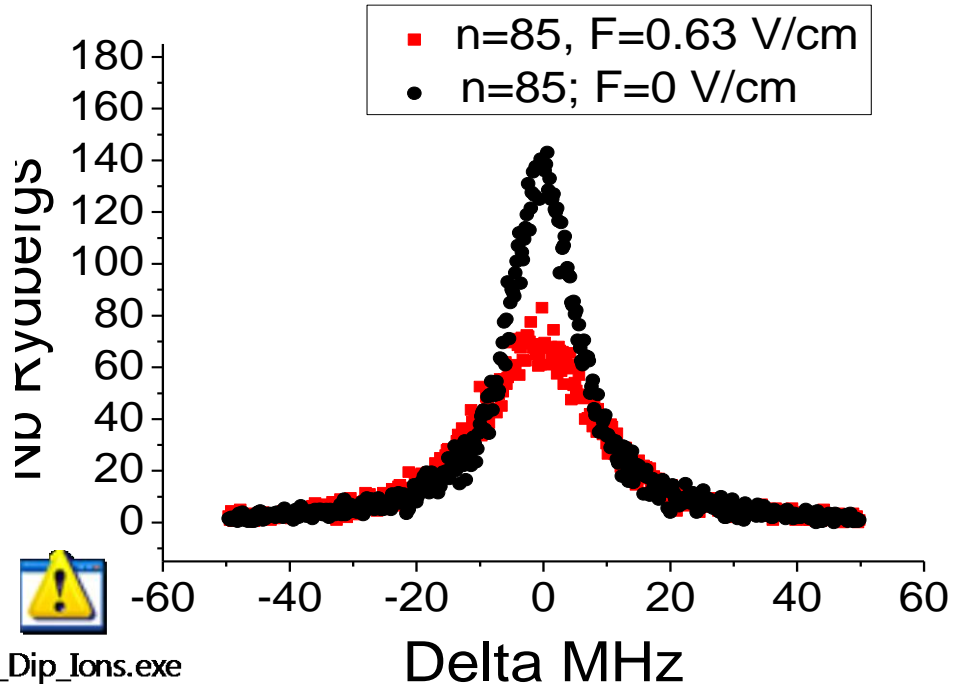
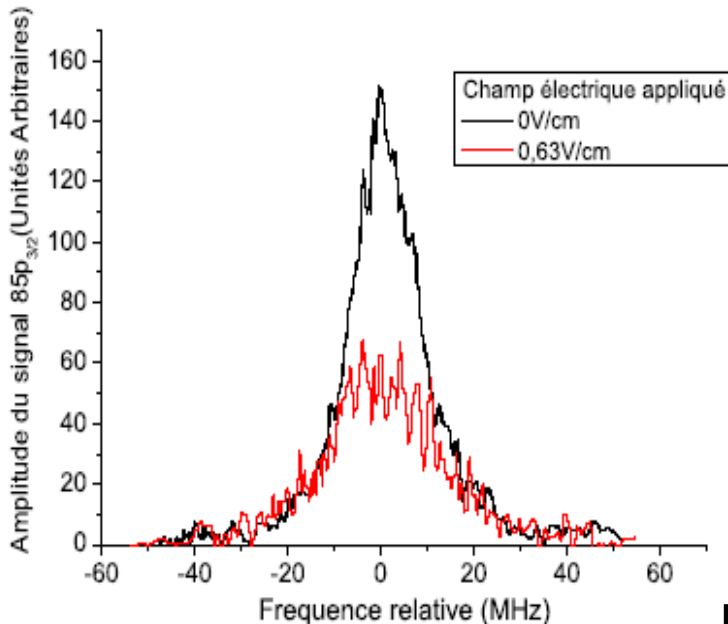
Rate excitation → Kinetic Monte Carlo
(Exact and faster than « classical » Monte Carlo)

Interaction between all paires + N-body:
 $\delta_i \sim \delta_{\text{Laser}} + \sum_k \mu^2 (1-3 \cos^2 \theta_{ik}) / R_{ik}^3$ LeapFrog-Verlet



Nearest neighbour interaction dominates

Ions can mimic dipole effects: 1 ion = 150mV/cm @ 10 μm ~ 100 X n=50 dipole



Dip_Dip_Ions.exe

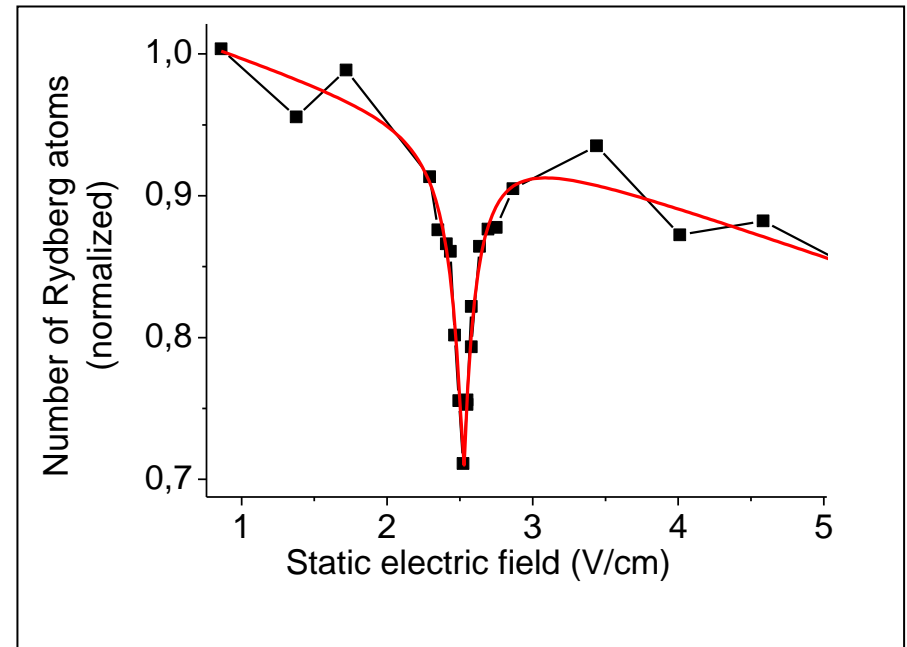
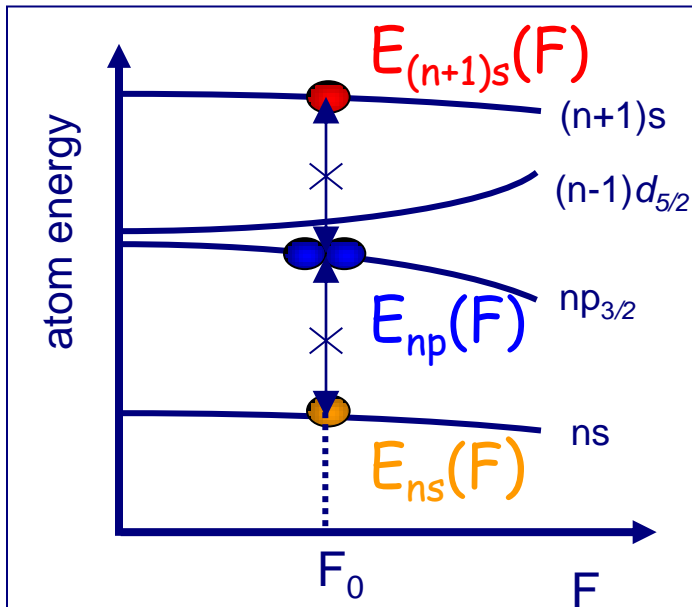
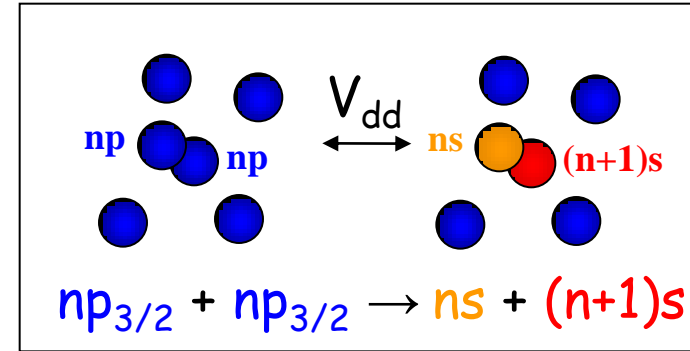
Electric field: control of internal states + blockade

Transition Dipole (Förster, np middle of ns (n+1)s)

Vogt et al. PRL 97 083003 (2006)

FRET (Förster resonance energy transfer)

$$Cs: 2 E_{np}(F_0) = E_{ns}(F_0) + E_{(n+1)s}(F_0)$$

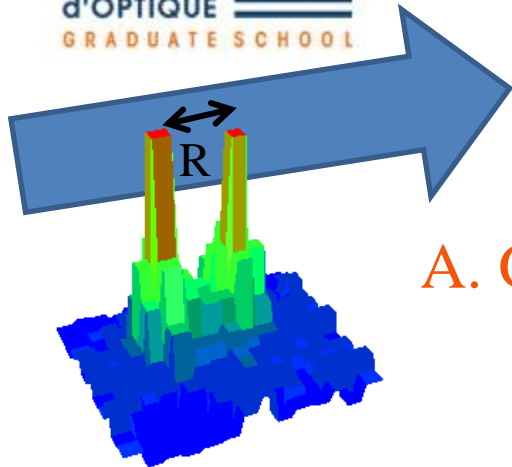


2 trapped atoms: coherent blockade

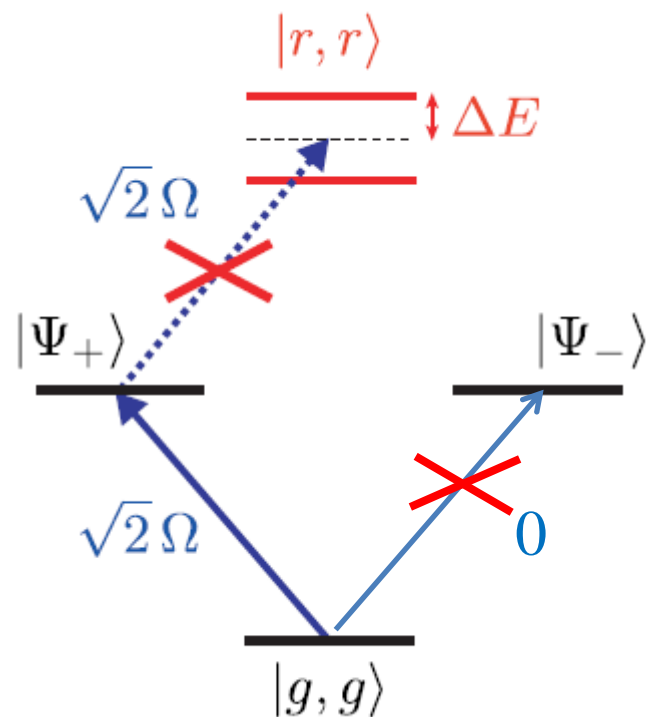
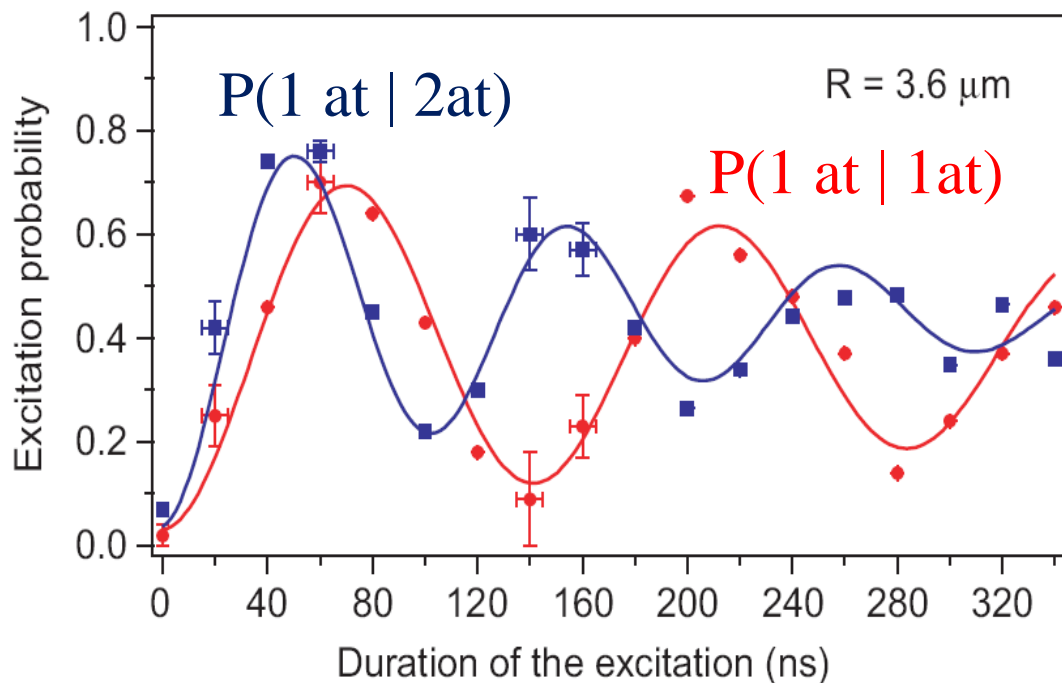
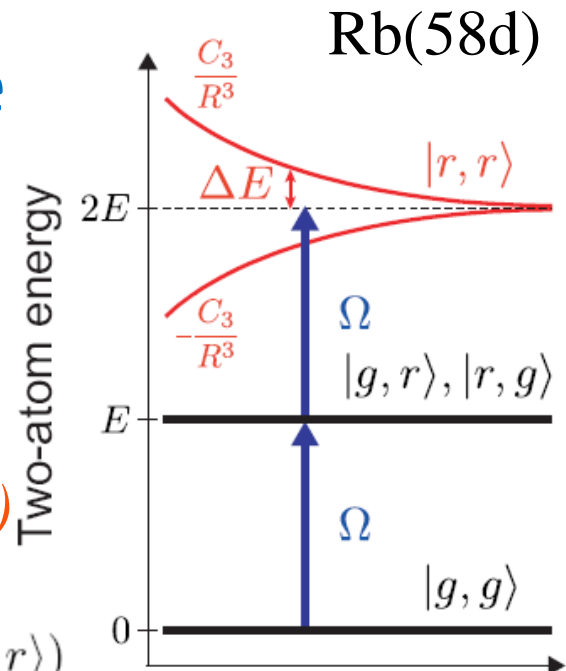


Browaeys, Grangier

A. Gaëtan *et al.* (*Nat. Phys* 5, 110)



$$|\Psi_{\pm}\rangle = \frac{1}{\sqrt{2}}(e^{i\mathbf{k}\cdot\mathbf{r}_a}|r, g\rangle \pm e^{i\mathbf{k}\cdot\mathbf{r}_b}|g, r\rangle)$$



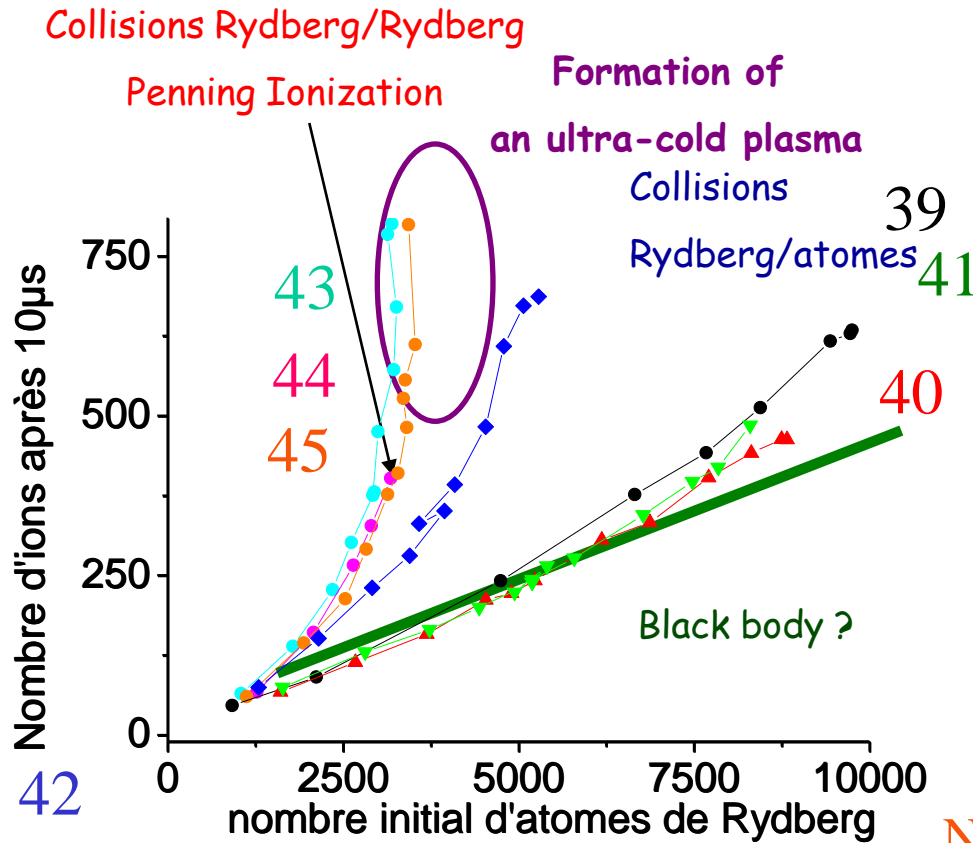
Controlled ionization

Study in electric field: C_3/R^3

M. Mudrich *et al.* PRL 95 233002 (2005)

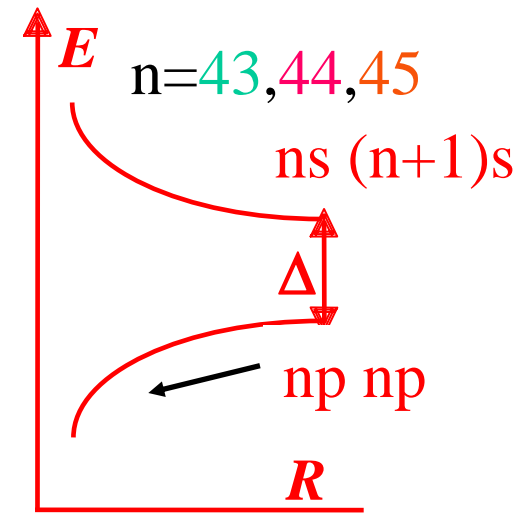
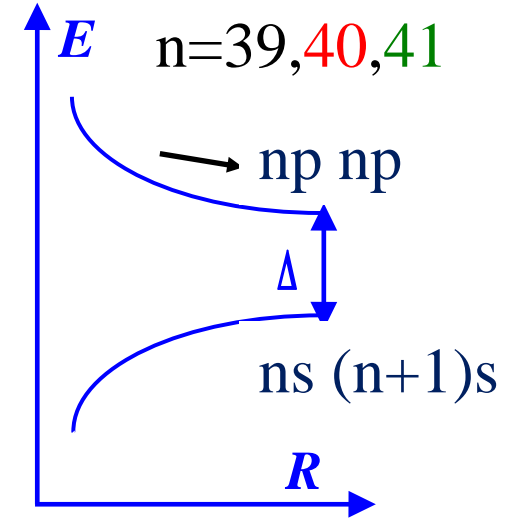
Study in zero electric field: C_6/R^6

M. Viteau *et al.* PRA 78 040704 (2008)



N. Vanhaecke *et al.* PRA 71 013416 (2005)

Control of ion kinetic energy (Ice-Rydberg) ? T. Pohl *et al.* EPJD 40 45 (2006)

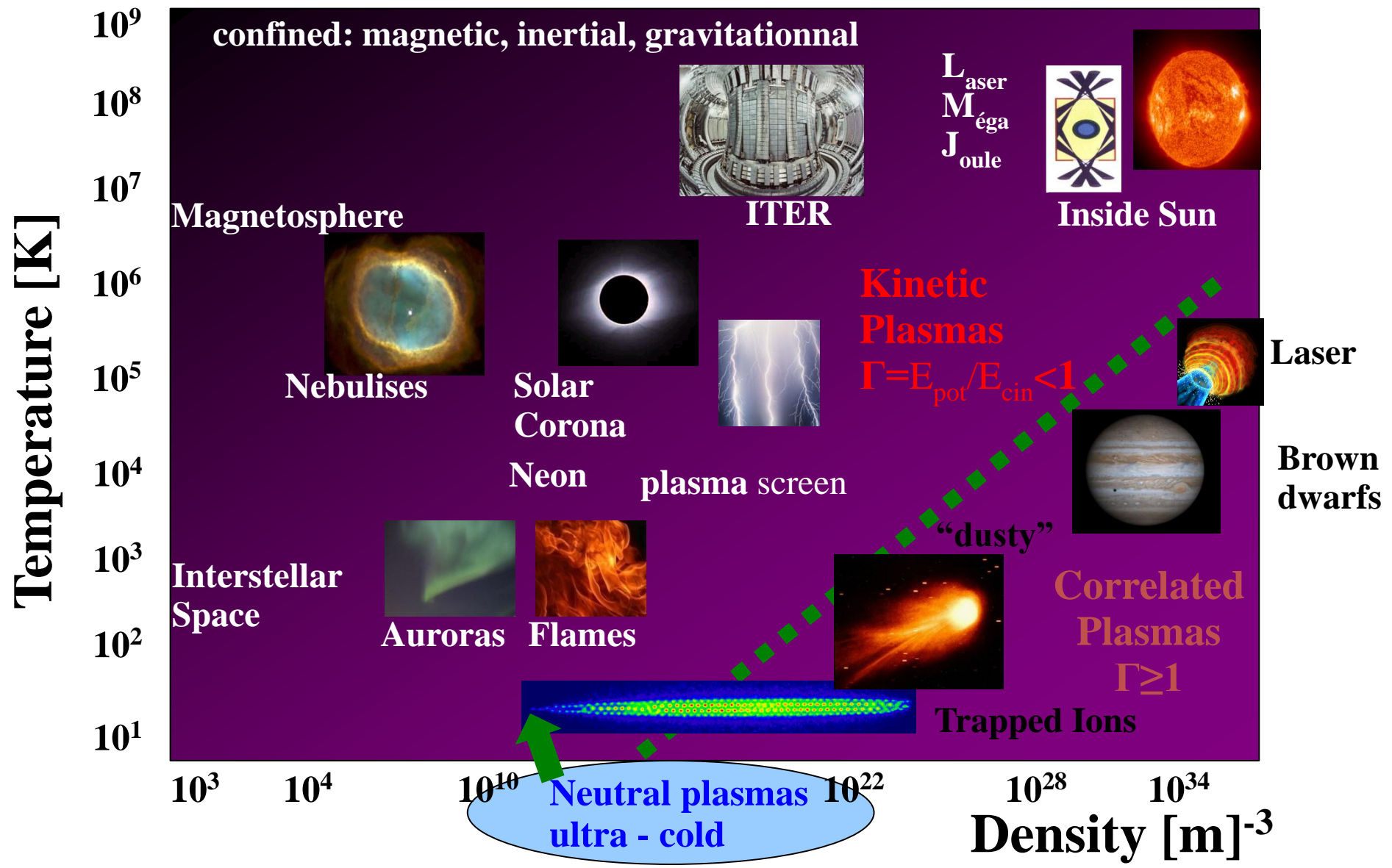
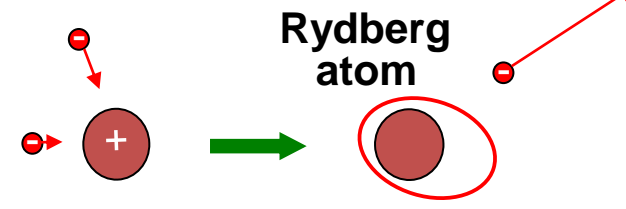


Outline

- Historical motivations (why cold Rydberg atoms ?)
 - *Use and control of long range dipole-dipole interactions*
- Quantum control with Dipole blockade: exp +model
 - *Electric field control of dipole (induced, permanent, transition)*
 - *Many-body coherent effects*
 - *Dynamics and Penning ionization*
- Ultra-cold plasmas: model, realization, application
- Prospects and conclusion

Ultra-cold plasma (non T>1K!)

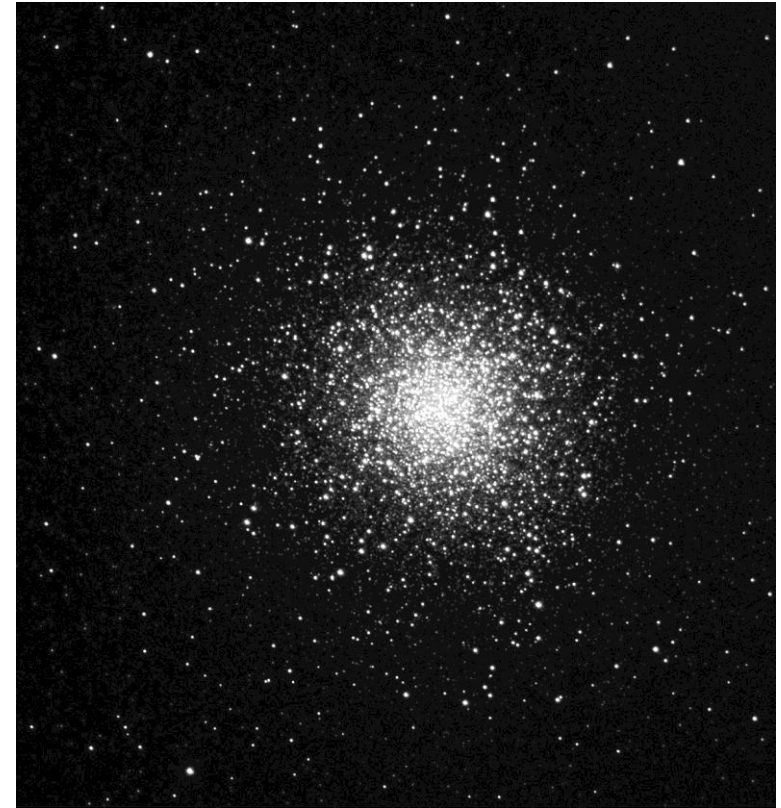
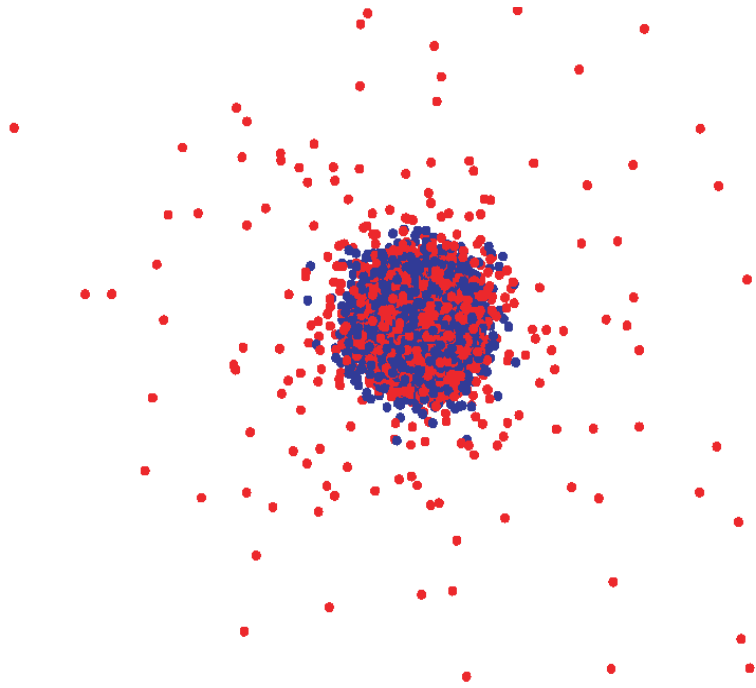
Three body recombinaison



Ultra Cold Neutral Plasma: Model system

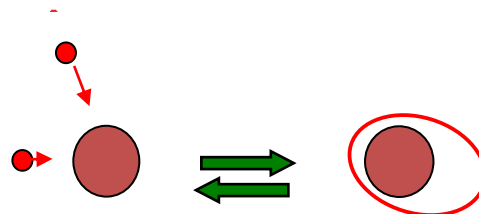
D. Comparat *et al.* MNRAS 361, 1227 (2005)

Globular star cluster analogy (back in 1957)



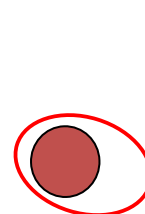
Ultra cold Plasma

$$F = (q_e^2 / 4 \pi \epsilon_0) / r^2$$



Globular star

$$F = (-G M^2) / r^2$$



Same equation Boltzmann (Vlasov) for **electrons** (trapped by **ions**) ↔ stars

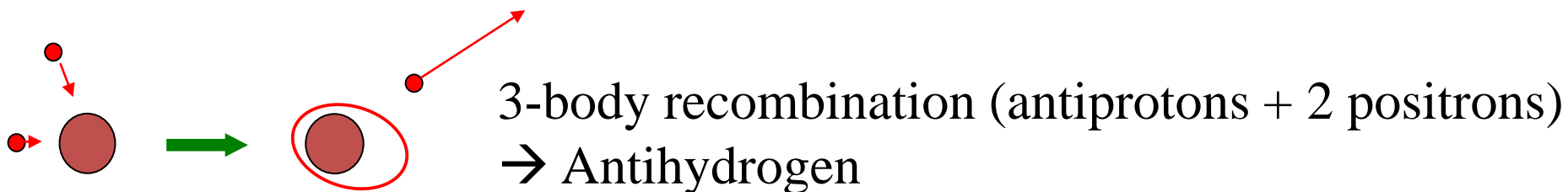
Lowered Maxwellian at equilibrium (Kramers-Michie-King) $f(E) \sim e^{-E/kT} - e^{-E_0/kT}$

Same collisional laws : dissociation of binary systems (Rydberg, stars) if $E_{\text{binding}} < 4 k_B T$

Rydberg/Plasma: Antihydrogen

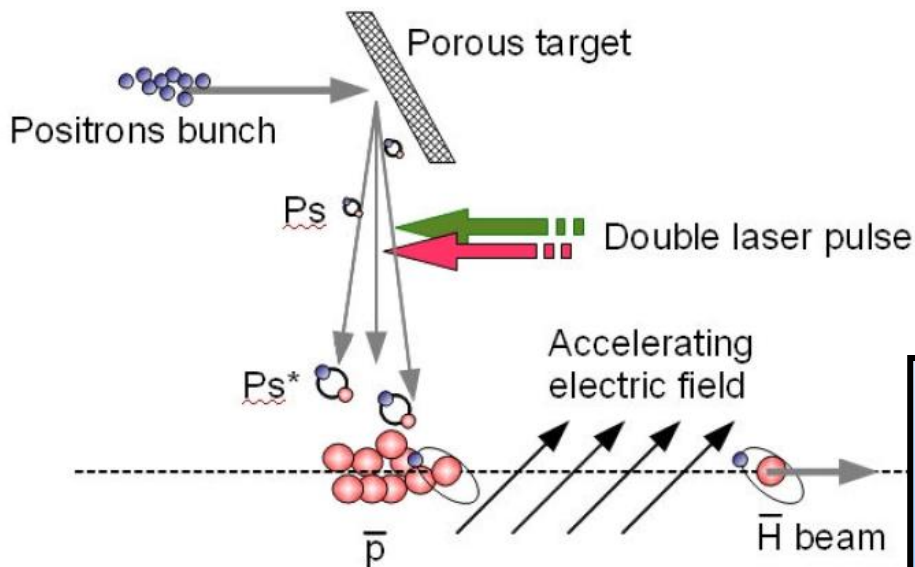
A. Kellerbauer *et al.*
NIMB 266 351 (2008)

2002 CERN ATRAP (Antihydrogen Trap) + ATHENA (AnTiHydrogEN Apparatus)



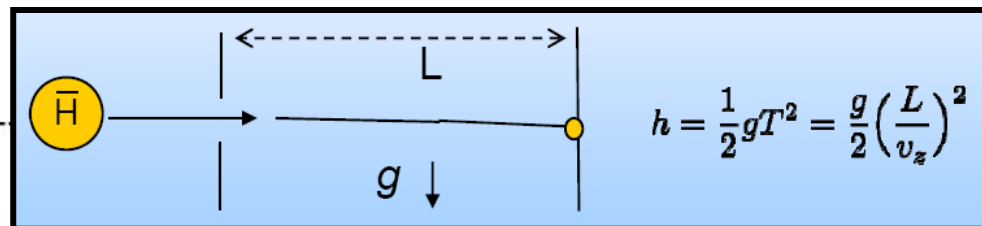
2006 AEGIS (Antimatter Experiment : Gravity, Interferometry, Spectroscopy)

- 1) Charge exchange (1998) : $Ps(nl) + \bar{p} \rightarrow \bar{H}(n'l')$
- 2) “Stark-acceleration” of anti-Rydberg
- 3) Gravity measurement with antimatter (+ violation CPT ?)



Rydberg Excitation $Ps = (e^+ e^-)$

F. Castelli *et al.* PRA, 78, 052512 (2008)



→ gravity measurement at 1%

Cold Ion or e⁻ Beam

Ultra cold plasma → ion or electron beams

Less energy dispersion (<0.1 eV compare to ~0.3-5eV)

→ low energy beam + small probe beam

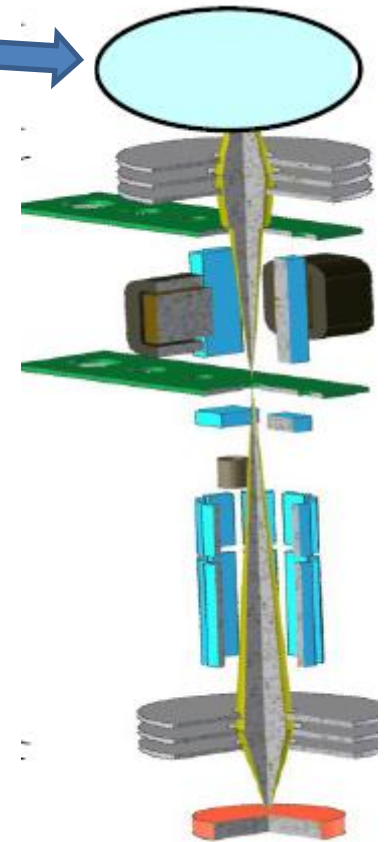
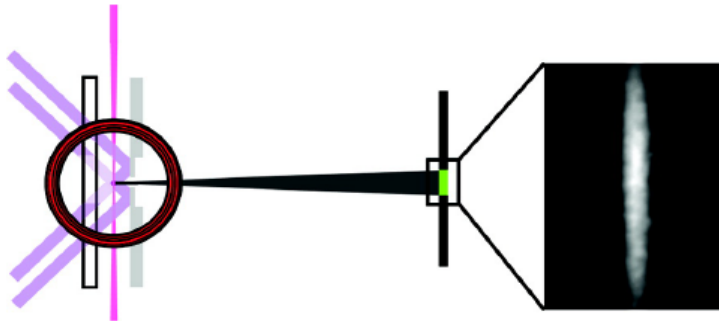
Non contaminant (rare gaz) source (compare to Gallium)

Magneto-Optical-Trap-Based, High Brightness Ion Source for Use as a Nanoscale Probe

James L. Hanssen, Shannon B. Hill, Jon Orloff, and Jabez J. McClelland

Nano Lett., 2008, 8 (9), 2844-2850 • DOI: 10.1021/nl801472n • Publication Date (Web): 21 August 2008

Downloaded from <http://pubs.acs.org> on November 17, 2008



PRL 102, 034802 (2009)

PHYSICAL REVIEW LETTERS

week ending
23 JANUARY 2009

Low-Energy-Spread Ion Bunches from a Trapped Atomic Gas

M. P. Reijnders, P. A. van Kruisbergen, G. Taban, S. B. van der Geer, P. H. A. Mutsaers,
E. J. D. Vredenburg, and O. J. Luiten*

Department of Applied Physics, Eindhoven University of Technology, P.O. Box 513, 5600 MB Eindhoven, The Netherlands
(Received 30 September 2008; published 22 January 2009)

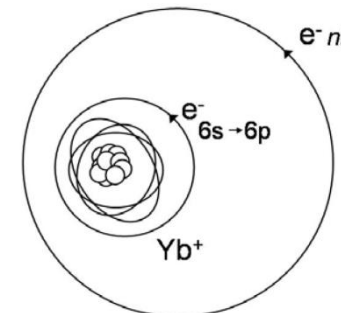
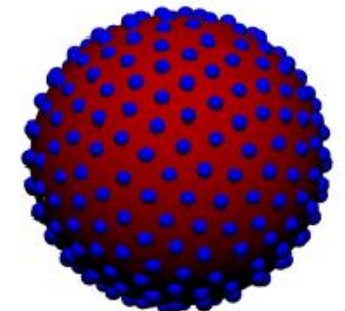
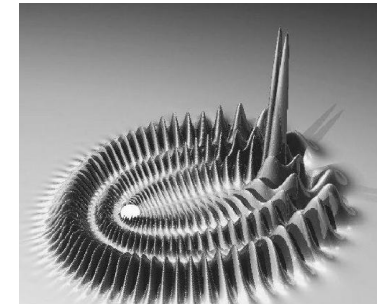
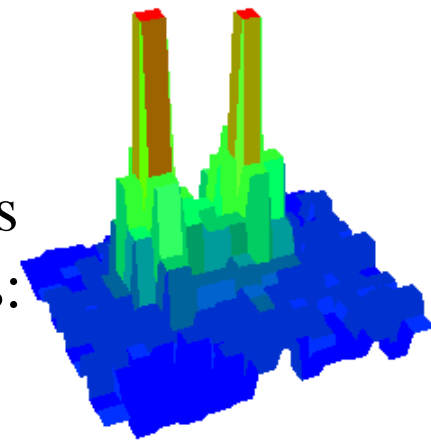


Outline

- Historical motivations (why cold Rydberg atoms ?)
 - *Use and control of long range dipole-dipole interactions*
- Quantum control with Dipole blockade: exp +model
 - *Electric field control of dipole (induced, permanent, transition)*
 - *Many-body coherent effects*
 - *Dynamics and Penning ionization*
- Ultra-cold plasmas: model, realization, application
 - *« controlled » Model system for plasma dynamics and excitation*
 - *Anti hydrogen formation*
 - *Ions and electrons beam*
- Prospects and conclusion

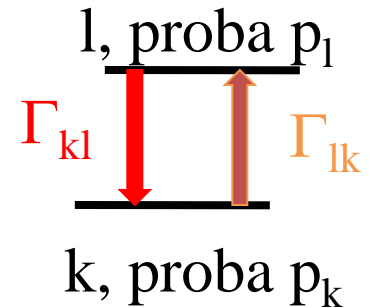
Conclusion and Perspectives

- Quantum control
 - Dipole blockade \rightarrow entanglement of two (few) atoms
 - Förster (transition dipole), Landau-Zener transitions: few, many-body (dynamical) effects
 - Quantum simulators
 - Quantum engineering, photoassociation
- Ionization \rightarrow Ultra-cold (neutral) plasmas
 - Penning ionization, control of the interatomic forces
 - Evolution towards an ultracold plasmas, heating processes \rightarrow highly correlated plasmas....
 - Anti-hydrogen beam formation, gravity or CPT test
 - Rydberg production of ion and electron sources
- New experimental devices
 - Lattice + Rydberg excitation of quantum gases
 - Stark-Rydberg decelerator of supersonic beams
 - Two-electrons Rydberg (Sr, Yb, ...): one Rydberg electron, another to image, manipulate



How to solve a master (rate) equation

1) Master equation $\frac{dP_k}{dt} = \sum_{l=1}^N \Gamma_{kl} P_l = \sum_{l=1}^N \Gamma_{kl} P_l - \sum_{l=1}^N \Gamma_{lk} P_k$
 Rate equation



2) Usual way to solve (Monte Carlo): $dt \ll \Gamma$

$$P_k(t + dt) = P_k(t) - \sum_{l=1}^N \Gamma_{lk}(t) P_k(t) dt + \sum_{l=1}^N \Gamma_{kl}(t) P_l(t) dt$$

New Journal of Physics
10 (2008) 045031

random number r between 0 and 1. If $r < \Gamma_{lk}(t) dt \rightarrow$ change $k \rightarrow l$.

Huge time for nothing (no reaction). Not exact !

2) Much better way to solve: Kinetic Monte Carlo model

2 steps:

a) Reaction time t' calculated by $\int_t^{t'} \sum_{l=1}^N \Gamma_{kl}(\tau) d\tau = -\ln r$

b) Reaction l chosen proportional to its rate $\Gamma_{kl}(t)$

Every step a reaction occurs. EXACT SOLUTION !